

FILE ID**MTHHATANH

MTHS
VAX-

| | | |
|-----|-----|--|
| (2) | 47 | HISTORY : Detailed Current Edit History |
| (5) | 60 | DECLARATIONS : Declarative Part of Module |
| (5) | 167 | MTH\$HATANH - H-floating Precision Hyperbolic Arctangent |

```
0000 1 .TITLE MTH$HATANH ; H-floating Precision Hyperbolic Arctangent
0000 2 .IDENT /2-002/ ; File: MTHHATANH.MAR Edit: SBL2002
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0000 4 :*****
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0000 25 :*****
0000 26 :
0000 27 :
0000 28 :FACILITY: MATH LIBRARY
0000 29 :++
0000 30 :ABSTRACT:
0000 31 :
0000 32 :MTH$HATANH returns the H-floating precision hyperbolic arctangent of the
0000 33 :H-floating precision argument. The call is standard call-by-reference.
0000 34 :
0000 35 :--
0000 36 :
0000 37 :VERSION: 2
0000 38 :
0000 39 :HISTORY:
0000 40 :AUTHOR:
0000 41 :Peter D Gilbert, 23-Jul-81: Version 2
0000 42 :
0000 43 :MODIFIED BY:
0000 44 :
0000 45 :
```

```
0000 47 .SBTTL HISTORY ; Detailed Current Edit History
0000 48
0000 49 : VERSION 1
0000 50 :
0000 51 : 1-001 - Original from PL/I math library.
0000 52 :
0000 53 : Edit History for Version 02 of MTH$HATANH
0000 54 :
0000 55 : 2-000 Original July 1981
0000 56 : 2-001 - Change MOVZBL to CVTBL when accessing MTH$SAB ALOG V. PDG 2-Dec-1981
0000 57 : 2-002 - Store reserved operand result after error. SBL 6-Jan-1982
0000 58 :
```

```

0000 60 .SBTTL DECLARATIONS ; Declarative Part of Module
0000 61
0000 62 :
0000 63 : INCLUDE FILES: MTHJACKET.MAR
0000 64 :
0000 65
0000 66 :
0000 67 : EXTERNAL SYMBOLS:
0000 68 :
0000 69 .DSABL GLOBAL
0000 70 .SHOW BINARY,CALLS,CONDITIONALS,DEFINITIONS,EXPANSIONS
0000 71 .EXTRN MTHSK_INVARGMAT
0000 72 .EXTRN MTHSS$SIGNAL
0000 73 .EXTRN MTHSS$AB ALOG_V
0000 74 .EXTRN MTHSS$AB_H_FHI
0000 75
0000 76 :
0000 77 : EQUATED SYMBOLS:
0000 78 :
0000 79
0000 80 :
0000 81 : MACROS:
0000 82 :
0000 83
0000 84 .MACRO OPDEF X, OP, SH
0000 85 .OPDEF ADDX ^X00@SH+OP,R'X,M'X
0000 86 .OPDEF ADDX3 ^X01@SH+OP,R'X,R'X,W'X
0000 87 .OPDEF SUBX ^X02@SH+OP,R'X,M'X
0000 88 .OPDEF SUBX3 ^X03@SH+OP,R'X,R'X,W'X
0000 89 .OPDEF MULX ^X04@SH+OP,R'X,M'X
0000 90 .OPDEF MULX3 ^X05@SH+OP,R'X,R'X,W'X
0000 91 .OPDEF DIVX ^X06@SH+OP,R'X,M'X
0000 92 .OPDEF DIVX3 ^X07@SH+OP,R'X,R'X,W'X
0000 93 .OPDEF CVTWX ^X0D@SH+OP,RW,W'X
0000 94 .OPDEF POLYX ^X15@SH+OP,R'X,RW,AB
0000 95 .OPDEF MOVX ^X7DFD,RH,WH ; MOVO
0000 96 .OPDEF MOVAX ^X7EFD,AH,WL ; MOVAO
0000 97 .ENDM
0000 98
0000 99 OPDEF H, <^X60FD>, 8
0000 .OPDEF ADDX ^X00@8+^X60FD,RH,MH
0000 .OPDEF ADDX3 ^X01@8+^X60FD,RH,RH,WH
0000 .OPDEF SUBX ^X02@8+^X60FD,RH,MH
0000 .OPDEF SUBX3 ^X03@8+^X60FD,RH,RH,WH
0000 .OPDEF MULX ^X04@8+^X60FD,RH,MH
0000 .OPDEF MULX3 ^X05@8+^X60FD,RH,RH,WH
0000 .OPDEF DIVX ^X06@8+^X60FD,RH,MH
0000 .OPDEF DIVX3 ^X07@8+^X60FD,RH,RH,WH
0000 .OPDEF CVTWX ^X0D@8+^X60FD,RW,WH
0000 .OPDEF POLYX ^X15@8+^X60FD,RH,RW,AB
0000 .OPDEF MOVX ^X7DFD,RH,WH ; MOVO
0000 .OPDEF MOVAX ^X7EFD,AH,WL ; MOVAO
0000
0000 100
0000 101 F_EXP = 7 ; Bit offset to exponent
0000 102 X_EXP = 0 ; Bit offset to exponent
0000 103

```

```
0000 104 :  
0000 105 : PSECT DECLARATIONS:  
0000 106 :  
00000000 107 .PSECT _MTH$CODE PIC,SHR,LONG,EXE,NOWRT  
0000 108 ; program section for math routines  
0000 109 :  
0000 110 : OWN STORAGE: none  
0000 111 :
```



```

0210 167 .SBTTL MTHSHATANH - H-floating Precision Hyperbolic Arctangent
0210 168
0210 169 :++
0210 170 : FUNCTIONAL DESCRIPTION:
0210 171
0210 172 : HATANH - H-floating precision floating point function
0210 173
0210 174 : HATANH(X) is computed using the following approximation technique:
0210 175
0210 176 : If |X| >= 1.0, error. Otherwise
0210 177
0210 178 : Let (1+X)/(1-X) = f * (2**n), where 1/2 <= f < 1
0210 179
0210 180 : If n is greater than or equal to 1 then
0210 181 :   set N = n - 1 and F1 = 2*f.
0210 182 : Else
0210 183 :   set N = n and F = f.
0210 184
0210 185 : If |F - 1| < 2**-5 then
0210 186 :   2*atanh(X) = N*ln(2) + W + W*P(W),
0210 187 :   where W = ((1+F)/(1-F))*2**N - 1,
0210 188 :   and P is a polynomial of degree F=5,D=9.
0210 189 : Else
0210 190 :   Obtain FHI (roughly equal to F) from table lookup.
0210 191 :   2*atanh(X) = ln((1+X)/(1-X)) = N*ln(2) + ln(FHI) + Z*Q(Z*Z),
0210 192 :   where Q is a polynomial of degree F=2,D=5,
0210 193 :   where Z = (F - FHI)/(F + FHI)
0210 194 :   where F = (2**-N)*(1+X)/(1-X)
0210 195 : Z is computed by:
0210 196 :   Z = (X-D)/(1-X*D)
0210 197 :   where Y = FHI*2**N
0210 198 :   where D = (Y-1)/(Y+1)
0210 199 : Note that Z may be computed in a variety of ways:
0210 200 :   Z = [(1+X) - Y*(1-X)]/[(1+X) + Y*(1-X)]
0210 201 :   Z = [1 + X - Y + X*Y]/[1 + X + Y - X*Y]
0210 202 :   Z = [1 - Y + X + X*Y]/[1 + Y + X - X*Y]
0210 203 :   Z = [(1-Y) + X*(1+Y)]/[(1+Y) + X*(1-Y)]
0210 204
0210 205 : NOTE: The quantities ln(A=FHI) and ln2 are used in the above
0210 206 : equations in two parts - a high part (containing the
0210 207 : high order bits) and a low part (containing the low
0210 208 : order bits. In the code the high and low parts of the
0210 209 : constants are indicated by a _HI and _LO suffix respec-
0210 210 : tively. The values were chosen such that N*LN2_HI +
0210 211 : LN_FHI_HI is exactly representable.
0210 212
0210 213 : CALLING SEQUENCE:
0210 214
0210 215 : MTHSHATANH(hatanh.wh.r, x.rh.r)
0210 216
0210 217 : INPUT PARAMETERS:
0210 218
0210 219 : Y = 4 : Address to store result
0210 220 : X = 8 : Contents of x is the argument
0210 221
0210 222 : IMPLICIT INPUTS: none
0210 223

```

0210 224 : OUTPUT PARAMETERS:
 0210 225 :
 0210 226 : VALUE: H-floating precision hyperbolic arctangent of the argument
 0210 227 :
 0210 228 : IMPLICIT OUTPUTS: none
 0210 229 :
 0210 230 : COMPLETION CODES: none
 0210 231 :
 0210 232 : SIDE EFFECTS:
 0210 233 :
 0210 234 : Signals: MTH\$K_INVARGMAT if $|X| \geq 1.0$ with reserved operand in R0 (copied to
 0210 235 : the signal mechanism vector CHFSL_MCH_R0/R1 by LIB\$SIGNAL).
 0210 236 : Associated message is: "Floating overflow in math library". Result is
 0210 237 : reserved operand -0.0 unless a user supplied (or any) error handler changes
 0210 238 : CHFSL_MCH_R0/R1.
 0210 239 :
 0210 240 : NOTE: This procedure disables floating point underflow and integer
 0210 241 : overflow, causes no floating overflow or other arithmetic traps, and
 0210 242 : preserves enables across the call.
 0210 243 :
 0210 244 : Note: This routine is written to avoid causing any integer overflows,
 0210 245 : floating overflows, or floating underflows or divide by 0 conditions,
 0210 246 : whether enabled or not.
 0210 247 :
 0210 248 :---
 0210 249 :
 0183 31 0210 250 ERR: BRW ERROR
 0213 251 .
 07FC 0213 252 .ENTRY MTH\$HATANH, ACMASK : standard call-by-reference entry
 0215 0213 253 : disable DV (and FU), enable IV
 50 08 BC 7DFD 0215 254 MOVX @X(AP), R0 : R0 = arg
 021A 021A 255 .
 7E 56 50 7DFD 021A 256 MOVX R0, R6
 08 56 63FD 021E 257 SUBX3 R6, S^#1.0, -(SP) : (SP) = 1-X
 0223 021E 258 BLEQ ERR : ATANH(X) is not defined for $X \geq 1$
 56 08 60FD 0225 259 ADDX S^#1.0, R6
 0229 0225 260 BLEQ ERR : ATANH(X) is not defined for $X \leq -1$
 54 8E F6FD 022B 261 CVTHF (SP)+, R4
 56 56 F6FD 022F 262 CVTHF R6, R6
 56 54 46 0233 263 DIVF2 R4, R6 : R6 = approximation to $(1+X)/(1-X)$
 00000000'GF 9E 0236 264 MOVAB G^MTH\$SAB ALOG_V, R10
 5A 5A 6A C0 023D 265 ADDL2 (R10), R10 : R10 = address of ALOG table
 55 56 007F 8F AB 0240 266 BICW3 #10F EXP-1, R6, R5 : R5 = Biased exponent
 55 4000 8F A2 0246 267 SUBW #^X4000, R5 : R5 = Unbiased exponent
 7F 15 024B 268 BLEQ NEG_EXP : Branch to processing for $n < 0$
 024D 269 .
 55 0080 8F A2 024D 270 SUBW #10F EXP, R5 : Exponent is positive, R5 = N = n - 1
 56 55 A2 0252 271 SUBW R5, R6 : R6 = F = 2^f
 56 56 9A 0255 272 MOVZBL R6, R6 : R6 = index into ALOG table
 00000007 0258 273 .IF NE, F EXP-X EXP
 55 0080 8F A6 0258 274 DIVW2 #10<F EXP-X EXP>, R5 : Shift R5 to scale X-floating
 025D 275 .ENDC
 7E 55 6DFD 025D 276 CVTDX R5, -(SP) : Push N onto the stack
 5A 6A46 98 0261 277 CVTBL (R10)[R6], R10 : R10 = offset into FHI tables
 78 19 0265 278 BLSS LN 1 PLUS W : Branch to handle F close to 1
 00000000'GF4A 7EFD 0267 279 MOVAX G^MTH\$SAB^-H FHI[R10], R10 : R10 = Address of FHI
 56 8A 7DFD 0270 280 MOVX (R10)+, R6 : R6 = FHI

0274 281 :
 0274 282 : Compute $Z = (F - FHI)/(F + FHI)$
 0274 283 : $Z = [(1+X) - Y*(1-X)]/[(1+X) + Y*(1-X)]$
 0274 284 : $Z = [1 + X - Y + X*Y]/[1 + X + Y - X*Y]$
 0274 285 : where $Y = FHI * 2^{**N}$, roughly equal to $(1+X)/(1-X)$
 0274 286 :
 7E 56 55 A0 0274 287 : ADDW R5, R6 ; $R6 = FHI * 2^{**N} = SFHI$
 08 56 63FD 0277 288 : SUBX3 R6, S^#1.0, -(SP) ; $(SP) = 1 - SFHI$
 56 08 60FD 027C 289 : ADDX S^#1.0, R6 ; $R6 = 1 + SFHI$
 6E 56 66FD 0280 290 : DIVX R6, (SP) ; $(SP) = (1-SFHI)/(1+SFHI) = D$
 6E 50 61FD 0284 291 : ADDX3 R0, (SP), R6 ; $R6 = D + X$
 6E 50 64FD 0289 292 : MULX R0, (SP) ; $(SP) = D * X$
 6E 08 60FD 028D 293 : ADDX S^#1.0, (SP) ; $(SP) = 1 + D*X$
 56 8E 66FD 0291 294 : DIVX (SP)+, R6 ; $R6 = (D+X)/(1+D*X) = Z$
 0295 295 :
 0295 296 : Compute Z^{**2} , $P(Z^{**2})$ and $Z * P(Z^{**2})$
 0295 297 :
 FEBF 50 56 65FD 0295 298 : MULX3 R6, R6, R0 ; $R0 = Z^{**2}$
 CF 0A 50 75FD 029A 299 : POLYX R0, #LOGLEN2, LOGTAB2 ; $R0 = P(Z^{**2})$
 50 56 64FD 02A1 300 : MULX R6, R0 ; $R0 = Z * P(Z^{**2})$
 02A5 301 :
 02A5 302 : Compute $B = N*LN2_LO + LN_FHI_LO + Z * P(Z^{**2})$
 02A5 303 :
 56 FD65 CF 6E 65FD 02A5 304 : MULX3 (SP), LN2_LO, R6 ; $R6 = N*LN2_LO$
 56 8A 60FD 02AC 305 : ADDX (R10)+, R6 ; $R6 = N*LN2_LO + LN_FHI_LO$
 50 56 60FD 02B0 306 : ADDX R6, R0 ; $R0 = B$
 02B4 307 :
 02B4 308 : Compute $A = N*LN2_HI + LN_FHI_HI$ and $ALOG(X)$
 02B4 309 :
 56 FD46 CF 8E 65FD 02B4 310 : MULX3 (SP)+, LN2_HI, R6 ; $R6 = N*LN2_HI$
 56 6A 60FD 02B8 311 : ADDX (R10), R6 ; $R6 = A = N*LN2_HI + LN_FHI_HI$
 50 56 60FD 02BF 312 : ADDX R6, R0 ; $R0 = A + B = ALOG(X)$
 50 01 A2 02C3 313 : SUBW2 #10X EXP, R0 ; Divide by 2
 04 BC 50 7DFD 02C6 314 : MOVX R0, BY(AP) ; Store result
 04 02C8 315 :
 02CC 316 :
 56 55 A2 02CC 317 : NEG_EXP:
 56 56 9A 02CF 318 : SUBW R5, R6 ; $R6 = F = 2^f$
 00000007 02D2 319 : MOVZBL R6, R6 ; $R6 = \text{index into ALOG table}$
 55 0080 8F A6 02D2 320 : .IF NE F_EXP-X_EXP
 02D7 321 : DIVW2 #10<F_EXP-X_EXP>, R5 ; Shift R5 to scale X-floating
 5A 7E 55 6DFD 02D7 322 : .ENDC
 5A 6A46 98 02DB 323 : CVTWX R5, -(SP) ; Push N onto the stack
 02DF 324 : CVTBL (R10)[R6], R10 ; R10 = offset into FHI tables
 5A 00000000'GF4A 7EFD 02E1 325 : LN_1_PLUS_W:
 56 6A 7DFD 02EA 326 : B[SS] LN_1_PLUS ; Branch to handle F close to 1
 02EE 327 : MOVAX G^#TRSSAB_H_FHI[R10], R10 ; R10 = Address of FHI
 02EE 328 : MOVX (R10), R6 ; $R6 = FHI$
 02EE 329 :
 02EE 330 : Compute $Z = (F - FHI)/(F + FHI)$
 02EE 331 : $Z = [(1+X) - Y*(1-X)]/[(1+X) + Y*(1-X)]$
 02EE 332 : $Z = [1 + X - Y + X*Y]/[1 + X + Y - X*Y]$
 02EE 333 : where $Y = FHI * 2^{**N}$, roughly equal to $(1+X)/(1-X)$
 02EE 334 :
 7E 56 55 A0 02EE 335 : ADDW R5, R6 ; $R6 = FHI * 2^{**N} = SFHI$
 08 56 63FD 02F1 336 : SUBX3 R6, S^#1.0, -(SP) ; $(SP) = 1 - SFHI$
 56 08 60FD 02F6 337 : ADDX S^#1.0, R6 ; $R6 = 1 + SFHI$

56 6E 56 66FD 02FA 338 DIVX R6, (SP) ; (SP) = (1-SFHI)/(1+SFHI) = D
 6E 50 61FD 02FE 339 ADDX3 R0, (SP), R6 ; R6 = D + X
 6E 50 64FD 0303 340 MULX R0, (SP) ; (SP) = D * X
 6E 08 60FD 0307 341 ADDX S^#1.0, (SP) ; (SP) = 1 + D*X
 56 8E 66FD 030B 342 DIVX (SP)+, R6 ; R6 = (D+X)/(1+D*X) = Z
 030F
 030F
 030F : Compute Z**2, P(Z**2) and Z*P(Z**2)
 030F
 345 :
 FE45 50 56 65FD 030F 346 MULX3 R6, R6, R0 ; R0 = Z**2
 CF 0A 50 75FD 0314 347 POLYX R0, #LOGLEN2, LOGTAB2 ; R0 = P(Z**2)
 50 56 64FD 031B 348 MULX R6, R0 ; R0 = Z*P(Z**2)
 C31F
 031F
 031F : Compute B = N*LN2_LO + LN_FHI_LO + Z*P(Z*Z)
 031F
 350 :
 56 FCEB CF 6E 65FD 031F 352 MULX3 (SP), LN2_LO, R6 ; R6 = N*LN2_LO
 56 7A 60FD 0326 353 ADDX -(R10), R6 ; R6 = N*LN2_LO + LN_FHI_LO
 50 56 60FD 032A 354 ADDX R6, R0 ; R0 = B
 032E
 032E : Compute A = N*LN2_HI + LN_FHI_HI and ALOG(X)
 032E
 355 :
 56 FCCC CF 8E 65FD 032E 356 MULX3 (SP)+, LN2_HI, R6 ; R6 = N*LN2_HI
 56 7A 62FD 0335 357 SUBX -(R10), R6 ; R6 = A = N*LN2_HI + LN_FHI_HI
 50 56 60FD 0339 359 ADDX R6, R0 ; R0 = A + B = ALOG(X)
 50 01 A2 033D 360 SUBW2 #10X EXP, R0 ; Divide by 2
 04 BC 50 7DFD 0340 361 MOVX R0, 3Y(AP) ; Store result
 04 0345 362 RET
 0346
 0346
 0346 : Special logic for F close to 1
 0346
 0346
 0346
 0346
 0346 LN_1_PLUS:
 56 08 50 63FD 0346 370 SUBX3 R0, S^#1.0, R6 ; R6 = 1-X
 55 B5 034B 371 TSTW R5 ; Determine which way to calculate W
 12 13 034D 372 BEQL 10\$
 56 10 56 67FD 034F 373 DIVX3 R6, S^#2.0, R6 ; R6 = 2/(1-X)
 56 08 62FD 0354 374 SUBX S^#1.0, R6 ; R6 = (1+X)/(1-X)
 56 55 A2 0358 375 SUBW R5, R6 ; Scale R6
 56 08 62FD 035B 376 SUBX S^#1.0, R6 ; R6 = W
 08 11 035F 377 BRB 20\$
 56 50 56 67FD 0361 378 10\$: DIVX3 R6, R0, R6 ; R6 = X / (1-X)
 56 01 A0 0366 379 ADDW #10X EXP, R6 ; R6 = W = 2*X/(1-X) = (1+X)/(1-X) - 1
 FC80 CF 13 56 75FD 0369 380 20\$: POLYX R6, #LOGLEN1, LOGTAB1 ; R0 = Q(W)
 50 56 64FD 0370 381 MULX R6, R0 ; R0 = W*Q(W)
 7E FC96 CF 6E 65FD 0374 382 MULX3 (SP), LN2_LO, -(SP) ; (SP) = N*LN2_LO
 50 8E 60FD 037B 383 ADDX (SP)+, R0 ; R0 = N*LN2_LO + W*Q(W)
 50 56 60FD 037F 384 ADDX R6, R0 ; R0 = N*LN2_LO + W*Q(W) + W
 6E FC78 CF 64FD 0383 385 MULX LN2_HI, (SP) ; (SP) = N*LN2_HI
 50 8E 60FD 0389 386 ADDX (SP)+, R0 ; R0 = ALOG(X)
 50 01 A2 038D 387 SUBW2 #10X EXP, R0 ; Divide by 2
 04 BC 50 7DFD 0390 388 MOVX R0, 3Y(AP) ; Store result
 04 0395 389 RET
 0396
 0396 : X <= 0.0, signal error
 0396
 0396
 7E 00'8F 9A 0396 393 ERROR: MOVZBL #MTHSK INVARGMAT, -(SP) ; condition value
 50 01 0F 79 039A 394 ASHQ #15, #T, R0 ; R0 = result = reserved operand -0.0

52 7C 039E 395 CLRQ R2
03A0 396
03A0 397
03A0 398
00000000'GF 01 FB 03A0 399 CALLS #1, G^MTH\$\$SIGNAL
03A7 400
04 BC 50 7DFD 03A7 401 MOVO R0, 8Y(AP)
04 03AC 402 RET
03AD 403
03AD 404 .END

; goes to signal mechanism vector
; (CHFSL MCH_R0/R1) so error handler
; can modify the result.
; signal error and use real user's PC
; independent of CALL vs JSB
; Store result
; return

| | | | |
|-----------------|----------|-----------|------|
| ACMASK | = | 0000007FC | |
| ERR | | 00000210 | R 01 |
| ERROR | | 00000396 | R 01 |
| F_EXP | = | 00000007 | |
| LN2_HI | | 00000000 | R 01 |
| LN2_LO | | 00000010 | R 01 |
| LN_T_PLUS | | 00000346 | R 01 |
| LN_1_PLUS_W | | 000002DF | R 01 |
| LOGLEN1 | = | 00000013 | |
| LOGLEN2 | = | 0000000A | |
| LOGTAB1 | | 00000020 | R 01 |
| LOGTAB2 | | 00000160 | R 01 |
| MTHSSAB ALOG V | ***** | | X 00 |
| MTHSSAB H FHI | ***** | | X 00 |
| MTHSSIGNAL | ***** | | X 00 |
| MTHSHATANH | 00000213 | RG | 01 |
| MTHSK INVARGMAT | ***** | | X 00 |
| NEG_EXP | 000002CC | R | 01 |
| X | = | 00000008 | |
| X_EXP | = | 00000000 | |
| Y | = | 00000004 | |

!-----!
! Psect synopsis !
!-----!

| PSECT name | Allocation | PSECT No. | Attributes |
|---------------------|------------------------------------|----------------------|--|
| . ABS . MTHSCODE | 00000000 (0.) 000003AD (941.) | 00 (0.) 01 (1.) | NOPIC USR CON ABS LCL NOSHR NOEXE NORD NOWRT NOVEC BYTE PIC USR CON REL LCL SHR EXE RD NOWRT NOVEC LONG |

! Performance indicators !

| Phase | Page faults | CPU Time | Elapsed Time |
|------------------------|-------------|-------------|--------------|
| Initialization | 34 | 00:00:00.11 | 00:00:01.13 |
| Command processing | 134 | 00:00:00.66 | 00:00:04.89 |
| Pass 1 | 101 | 00:00:01.55 | 00:00:05.27 |
| Symbol table sort | 0 | 00:00:00.01 | 00:00:00.01 |
| Pass 2 | 90 | 00:00:00.99 | 00:00:03.50 |
| Symbol table output | 3 | 00:00:00.02 | 00:00:00.06 |
| Psect synopsis output | 2 | 00:00:00.02 | 00:00:00.02 |
| Cross-reference output | 0 | 00:00:00.00 | 00:00:00.00 |
| Assembler run totals | 366 | 00:00:03.38 | 00:00:14.88 |

The working set limit was 900 pages.

7868 bytes (16 pages) of virtual memory were used to buffer the intermediate code. There were 10 pages of symbol table areas allocated to hold 21 user-level and 2 local

There were 10 pages of symbol table space allocated to hold 21 non-local and 2 local symbols. 16 source lines were read in Page 1, producing 13 object records in Page 2.

464 source lines were read in Pass 1, producing 13 object records in Pass 2. 3 pages of virtual memory were used to define 722100.

3 pages of virtual memory were used to define 2 macros.

MTH\$HATANH
VAX-11 Macro Run Statistics

N 14
; H-floating Precision Hyperbolic Arctan 16-SEP-1984 01:34:37 VAX/VMS Macro V04-00
6-SEP-1984 11:24:46 [MTHRTL.SRC]MTHHATANH.MAR;1 Page 12 (5)

MTH
Tab

! Macro library statistics !

Macro library name

_S255\$DUA28:[SYSLIB]STARLET.MLB;2

Macros defined

0

0 GETS were required to define 0 macros.

There were no errors, warnings or information messages.

MACRO/ENABLE=SUPPRESSION/DISABLE=(GLOBAL,TRACEBACK)/LIS=LISS:MTHHATANH/OBJ=OBJ\$:MTHHATANH MSRC\$:MTHJACKET/UPDATE=(ENH\$:MTHJACKET)+MS

0261 AH-BT13A-SE
VAX/VMS V4.0

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